

Written Exercises

A 1. Tell whether the proportion is correct.

- a. $\frac{r}{s} = \frac{a}{b}$
 b. $\frac{j}{a} = \frac{s}{r}$
 c. $\frac{r}{s} = \frac{n}{k}$
 d. $\frac{t}{k} = \frac{a}{j}$

2. Tell whether the proportion is correct.

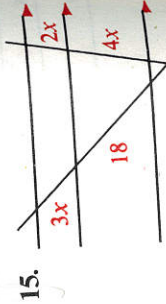
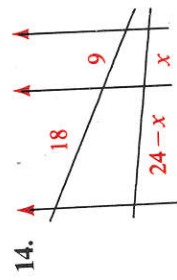
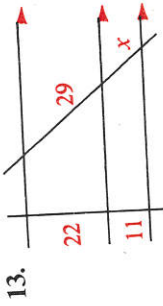
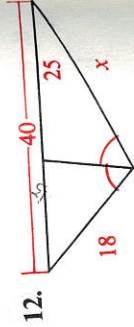
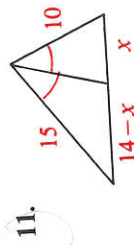
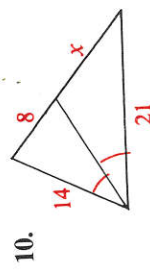
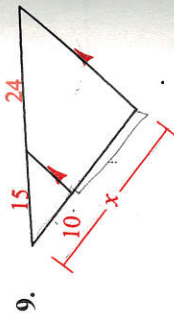
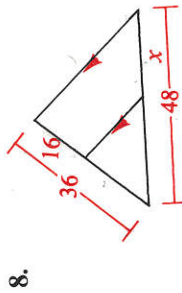
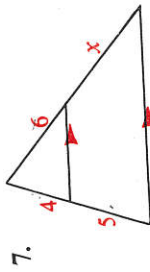
- a. $\frac{d}{f} = \frac{g}{e}$
 b. $\frac{f}{g} = \frac{e}{d}$
 c. $\frac{g}{f} = \frac{e}{d}$
 d. $\frac{d}{f} = \frac{e}{g}$

In Exercises 3-6, $\frac{AB}{BC} = \frac{3}{5}$. Copy and complete the table.

	3.	4.	5.	6.
AB	6	?	?	?
BC	?	25	?	?
AC	?	?	56	100

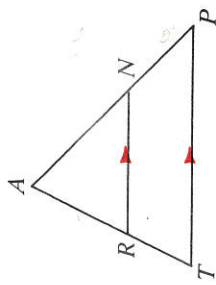


Find the value of x .



Copy the table and fill in as many spaces as possible. It may help to draw a new sketch for each exercise and label lengths as you find them.

	AR	RT	AT	AN	NP	AP	RN	TP
16.	6	4	?	9	?	?	?	15
17.	?	?	?	?	6	16	?	?
18.	18	?	?	?	?	?	30	40
19.	12	?	20	?	?	30	15	?
20.	18	?	?	26	?	?	24	36
21.	?	?	33	24	20	?	?	50



22. Prove the corollary to the Triangle Proportionality Theorem.

23. Prove the Triangle Angle-Bisector Theorem.

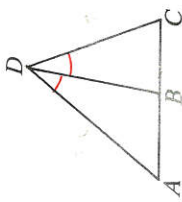
Complete.

24. $AD = 21$, $DC = 14$, $AC = 25$, $AB = ?$

25. $AC = 60$, $CD = 30$, $AD = 50$, $BC = ?$

26. $AB = 27$, $BC = x$, $CD = \frac{4}{3}x$, $AD = x$, $AC = ?$

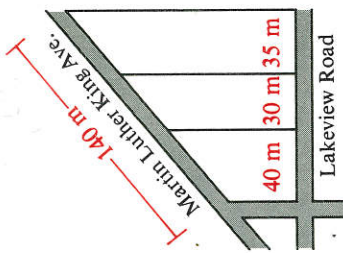
27. $AB = 2x - 12$, $BC = x$, $CD = x + 5$, $AD = 2x - 4$, $AC = ?$



28. Three lots with parallel side boundaries extend from the avenue to the road as shown. Find, to the nearest tenth of a meter, the frontages of the lots on Martin Luther King Avenue.

29. The lengths of the sides of $\triangle ABC$ are $BC = 12$, $CA = 13$, and $AB = 14$. If M is the midpoint of \overline{CA} , and P is the point where \overline{CA} is cut by the bisector of $\angle B$, find MP .

30. Prove: If a line bisects both an angle of a triangle and the opposite side, then the triangle is isosceles.



Ex. 28

C 31. Discover and prove a theorem, about planes and transversals, suggested by the corollary to the Triangle Proportionality Theorem.

32. Prove that there cannot be a triangle in which the trisectors of an angle also trisect the opposite side.

33. Can there exist a $\triangle ROS$ in which the trisectors of $\angle O$ intersect \overline{RS} at D and E , with $RD = 1$, $DE = 2$, and $ES = 4$? Explain.

34. Angle E of $\triangle ZEN$ is obtuse. The bisector of $\angle E$ intersects \overline{ZN} at X . J and K lie on \overline{ZE} and \overline{NE} with $ZJ = ZX$ and $NK = NX$. Discover and prove something about quadrilateral $ZNJK$.